

K fields, compactons and thick branes

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2009 J. Phys. A: Math. Theor. 42 159801

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Corrigendum

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C Adam, N Grandi, J Sánchez-Guillén and A Wereszczyński 2008 *J. Phys. A: Math. Theor.* **41** 212004

In this paper, the stability of the compact brane was briefly discussed, and for this purpose the basis functions for linear perturbations, originally described in section 4.4 of [1], were quoted in equation (17) of this paper. These basis functions are, however, incorrect, due to an error in [1] (see the corrigendum of that reference for correct discussion). The correct basis functions, which should replace equation (17) in this paper, are given as follows. The space of basis functions may be decomposed into an even and an odd subspace, and the correct basis functions are

$$\eta_n(y) = \begin{cases} 0 & y \leq -\frac{\pi}{2} \\ \cos(2n+1)y & -\frac{\pi}{2} \leq y \leq \frac{\pi}{2} \\ 0 & y \geq \frac{\pi}{2} \end{cases}$$

(here $n = 0, \dots, \infty$), for the even subspace, and

$$\zeta_m(y) = \begin{cases} 0 & y \leq -\frac{\pi}{2} \\ \sin 2my & -\frac{\pi}{2} \leq y \leq \frac{\pi}{2} \\ 0 & y \geq \frac{\pi}{2} \end{cases}$$

(here $m = 1, \dots, \infty$), for the odd subspace. All further results and conclusions of this paper are, however, not affected by this incorrect quotation and remain correct.

References

- [1] Adam C, Sanchez-Guillen J and Wereszczyński A 2007 *J. Phys. A: Math. Theor.* **40** 13625
Adam C, Sanchez-Guillen J and Wereszczyński A 2009 *J. Phys. A: Math. Theor.* **42** 089801 (corrigendum)